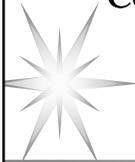


# Concurrent Code Spread Spectrum: Theory and Performance Analysis of Jam Resistant Communication Without Shared Secrets



William Louis Bahn

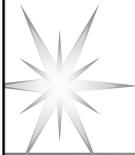
Ph.D. Dissertation

Electrical Engineering

Department of Electrical and Computer Engineering

University of Colorado at Colorado Springs

2012



## Made possible by....

### Committee

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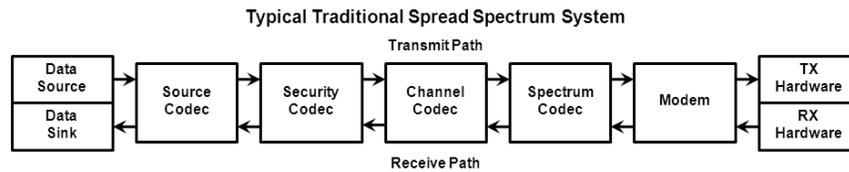


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## A typical spread spectrum system uses a spreading code to achieve jam resistance



Source Codec – Reduces information redundancy

Security Codec – Provides confidentiality, integrity, and authentication

Channel Codec – Adds redundancy that permits channel noise to be mitigated

Spectrum Codec – Spread the signal's bandwidth to effectively hide it

The spreading code defines a channel independent of the message.

An attacker must know the spreading code to find the channel.



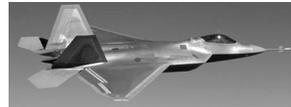
## We Have a Key Management Problem

Example: STU

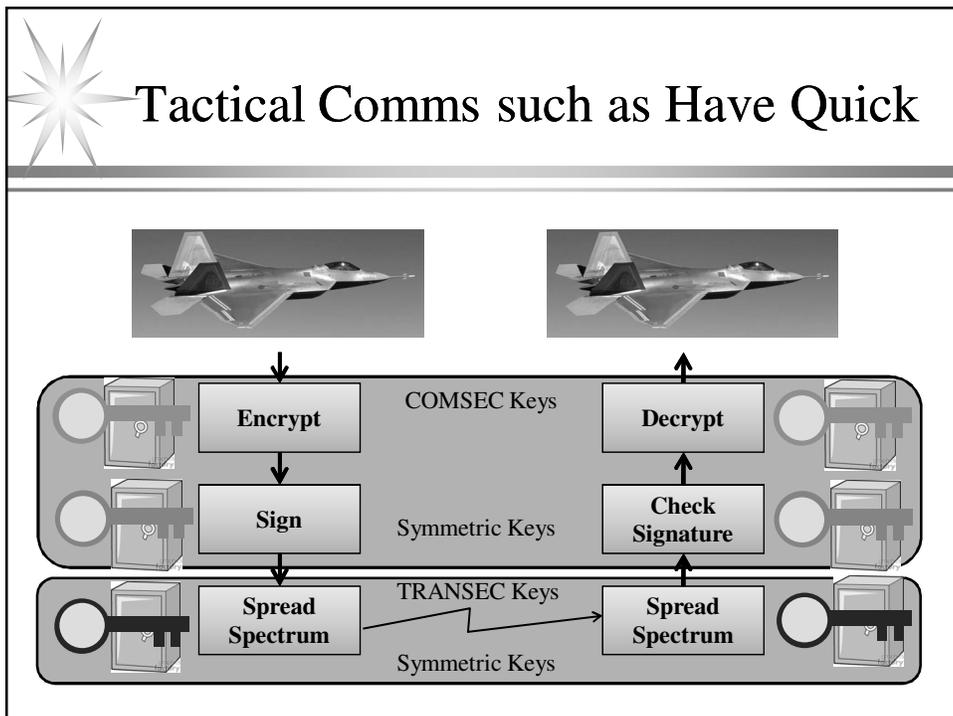
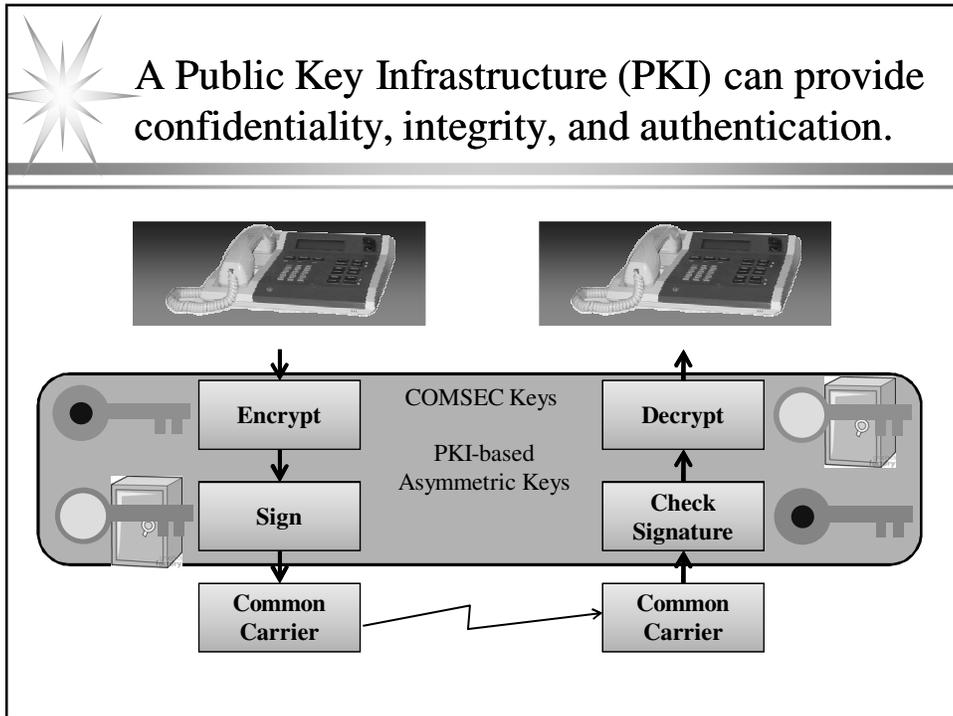


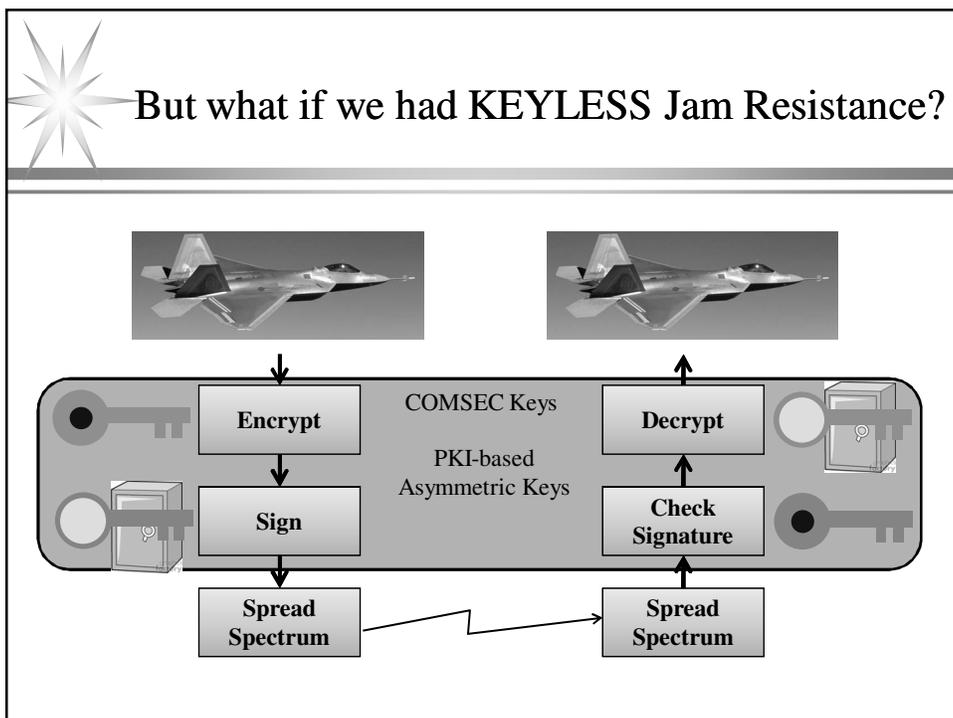
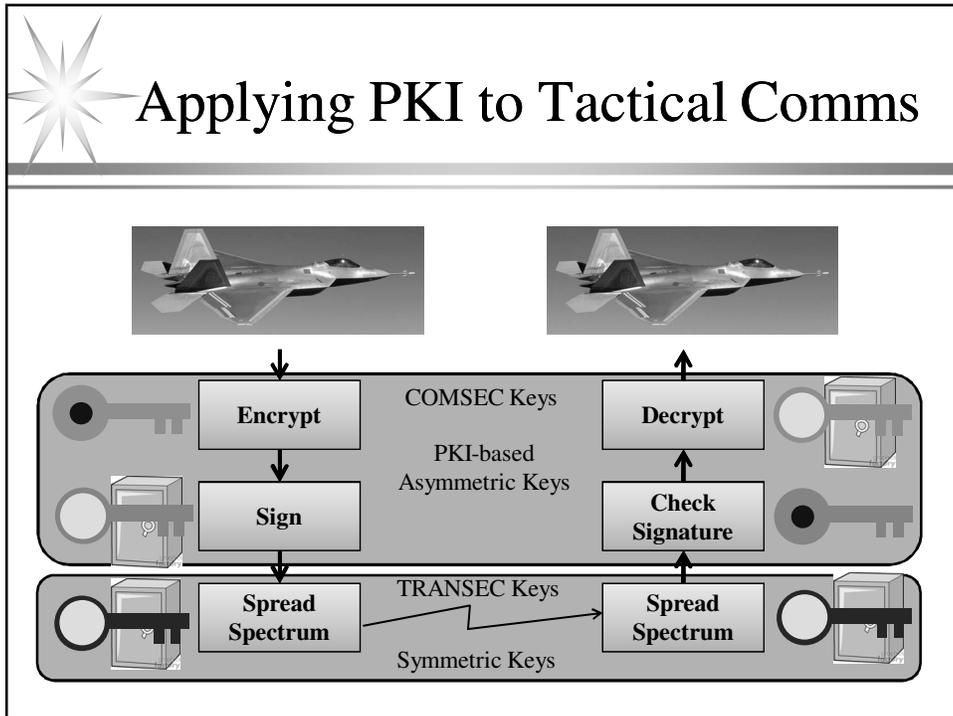
- Occasional keying
- Different key for everyone
- Usually works

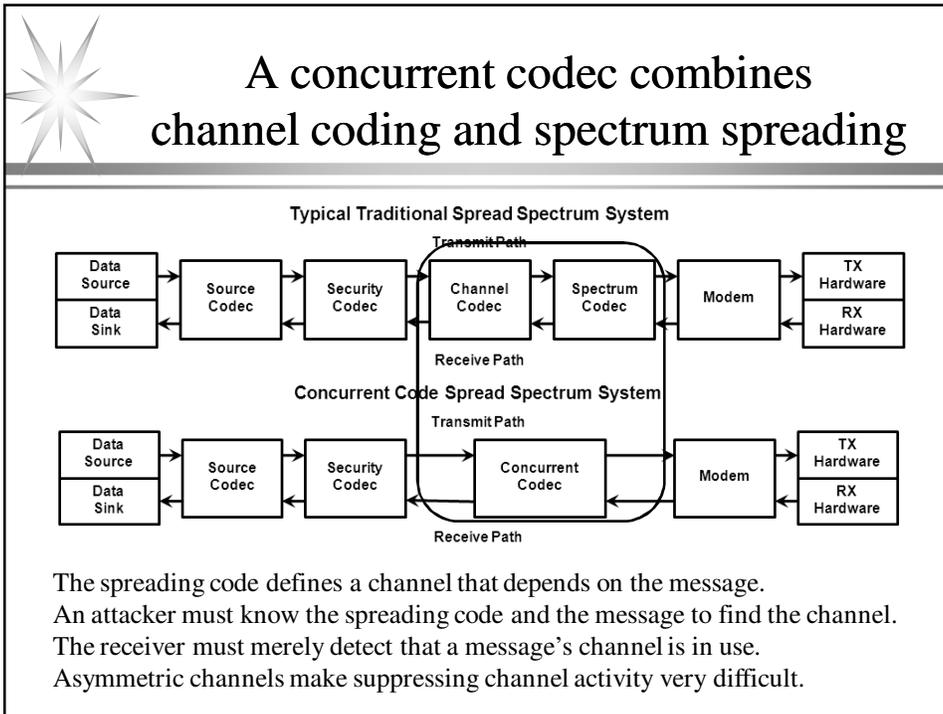
Example: Have Quick



- Daily keying
- Same key for everyone
- Often fails







**What challenges face Keyless Jam Resistance?**

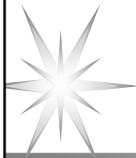


The optimal jamming signal is another valid signal

- With no key, jammer can transmit valid signals.
- We must assume they can align with legitimate signal.
- Causes extreme difficulty for receivers, which can't decide which valid signal is the legitimate one.
- In traditional systems, two valid signals of similar power make recovery of either impossible.
- Conventional wisdom: Secrets are necessary!
- Unconventional wisdom: Don't be so traditional!

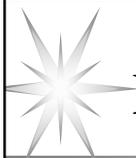


**KEYLESS SPREAD SPECTRUM:  
So how is it possible?**



## There are two intertwined aspects of Keyless Jam Resistance

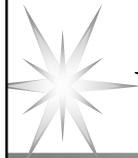
- ↗ Coding/Decoding
- ↗ Transmitting/Receiving



## Let's build a toy system...

- ↗ Codeword for Message A →
- ↗ Message space – 32 messages.
- ↗ Each codeword is 7 marks.
- ↗ 100 possible mark locations.
- ↗ Code space – 16 billion codes.
- ↗ Message is contained in the signal only if ALL marks associated with that message are present.
- ↗ Signal may contain multiple overlaid messages.

A	0	1	2	3	4	5	6	7	8	9
0					■				■	
1										
2										■
3							■			
4			■							
5										
6										
7			■							
8										■
9										



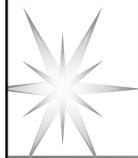
Which, if either, is present?

A	0	1	2	3	4	5	6	7	8	9	RX	0	1	2	3	4	5	6	7	8	9	K	0	1	2	3	4	5	6	7	8	9	
				■					■					■						■						■							
												■		■						■												■	
													■		■					■				■									■
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'A' is present

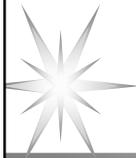
'K' is absent

**Are any others present?**



Decoding is different  
than performing a membership test

- ↗ Membership test: Is a given message present?
- ↗ Signal decode: List all messages that are present.



## What if a superimposed code is used?

$$Position_i = Hash_i(message); \quad 1 < i < n$$

- Message is passed through  $n$  hash functions, each producing one of the  $n$  mark locations.
- Each message consists of an independent set of marks.
- With superimposed codes:
  - Membership tests are easy.
  - Decodes are difficult (usually requiring exhaustive search)



## Concurrent Codes

Superimposed codes that can be efficiently decoded.

$$Position_i = Hash(message[1:i]); \quad 1 < i < n$$

- Each of the  $n$  possible message prefixes are passed through the same hash function.
- Message codewords are not independent.
- With concurrent codes:
  - Membership tests are easy.
  - Decodes are easy (performed in linear time)

## Let's build a codeword

↗ Codeword for Message K →

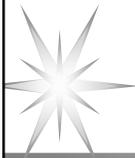
↗ Message: 0101000

- ↗ Hash(0) = 36
- ↗ Hash(01) = 57
- ↗ Hash(010) = 16
- ↗ Hash(0101) = 2
- ↗ Hash(01010) = 26
- ↗ Hash(010100) = 30
- ↗ Hash(0101000) = 94

K	0	1	2	3	4	5	6	7	8	9
0										
1										
2										
3										
4										
5										
6										
7										
8										
9										

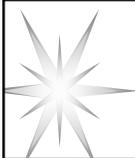
## The complete codebook

36	89	08	04	42	72	29	A	000000	
				82	46	64	B	0000100	
			28	18	48	25	C	0001000	
		91	52	62	36	88	D	0001100	
				49	01	45	E	0010000	
			13	79	71	38	F	0010100	
	57	16	40	03	56	12	G	0011000	
				98	53	22	H	0011100	
			02	37	47	50	I	0100000	
		59	40	92	30	76	J	0100100	
				26	30	94	K	0101000	
			22	78	61	32	L	0101100	
27	19	63	46	75	15	80	M	0110000	
				85	20	40	N	0110100	
			07	31	99	36	O	0111000	
		11	43	18	67	93	P	0111100	
				81	14	33	06	Q	1000000
			35	04	87	41	R	1000100	
	23	49	46	10	58	66	S	1001000	
				69	51	08	T	1001100	
			07	83	76	28	U	1010000	
		90	11	54	13	17	V	1010100	
				09	57	73	W	1011000	
			24	44	39	24	X	1011100	
		11	86	60	05	Y	1100000		
			19	53	84	Z	1100100		
		72	00	12	46	1	1101000		
	96	24	67	52	61	2	1101100		
			79	31	99	3	1110000		
		24	44	71	18	4	1110100		
		25	01	56	5	1111000			
		96	68	88	39	6	1111100		



The decode tree for our signal packet:  
 {A,Q,Z} are the messages contained.

36	89	08	04	42	72	29	A	0000000
			<del>28</del>	<del>46</del>	46	64	B	0000100
				18	48	25	C	0001000
				62	36	88	D	0001100
		91	52	49	01	45	E	0010000
				79	71	38	F	0010100
			13	03	56	12	G	0011000
				98	53	22	H	0011100
	45	16	40	37	47	50	I	0100000
				92	30	76	J	0100100
			02	26	30	94	K	0101000
				78	61	32	L	0101100
		59	22	75	15	80	M	0110000
				85	20	40	N	0110100
			43	31	99	36	O	0111000
				18	67	93	P	0111100
27	19	63	81	14	33	06	Q	1000000
			<del>04</del>	<del>41</del>	41	41	R	1000100
			<del>46</del>	10	58	66	S	1001000
				69	51	08	T	1001100
		11	<del>87</del>	83	76	28	U	1010000
				54	13	17	V	1010100
			<del>35</del>	09	57	73	W	1011000
				44	39	24	X	1011100
	23	49	11	86	60	<del>84</del>	Y	1100000
				19	53	84	Z	1100100
			<del>72</del>	<del>12</del>	46	1	1101000	
				67	<del>61</del>	61	2	1101100
		90	<del>24</del>	79	31	99	3	1110000
				44	71	18	4	1110100
				25	01	56	5	1111000
			<del>96</del>	68	88	39	6	1111100



You now know Standard BBC!

## Standard BBC: Encoding is easy

s	H(s)
1	21
10	9
101	24
1011	2
10110	14
101100	12

- Append K zero bits to the end of an L-bit message.
- Run each of the (L+K) prefixes through a hash function.
- Use each hash output to place a mark in the codeword.

## Standard BBC: Decoding is fast

Message 1011: 010000010010100000010010

Message 1000: 000001000100010001000000110000

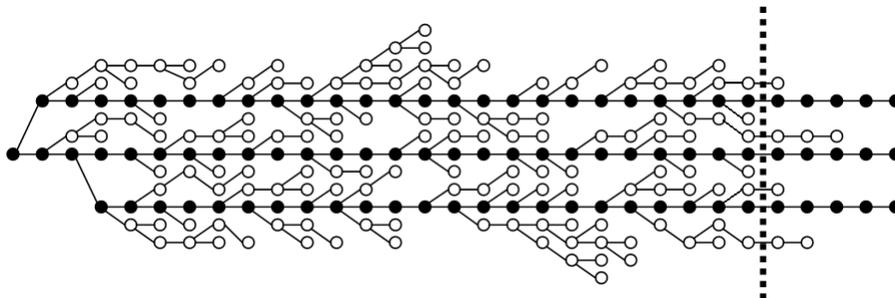
Both simultaneously: 01000100011010101000000110010

s	H(s)
0	4
1	21
10	9
11	21
100	20
101	24
110	16
111	2
1000	14
1001	1
1010	15
1011	2
1110	14
1111	23
10000	6
10110	14
11100	13
100000	10
101100	12

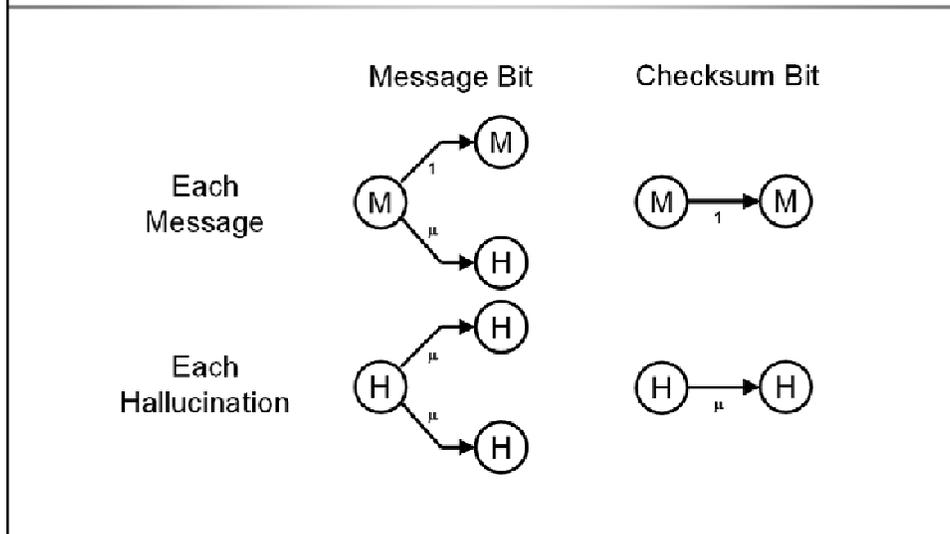
 Typical BBC parameters used to date provide good flexibility.

- ↗ Thousand bit messages ( $L=2^{10}$ )
- ↗ Million bit codewords ( $C=2^{20}$ )
- ↗ Thirty bit checksum ( $K=2^5$ )
- ↗ 33% mark density threshold

 Decode trees typically have many short-lived false branches.



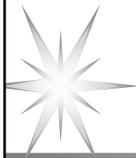
 The performance is controlled by the time spent hallucinating.



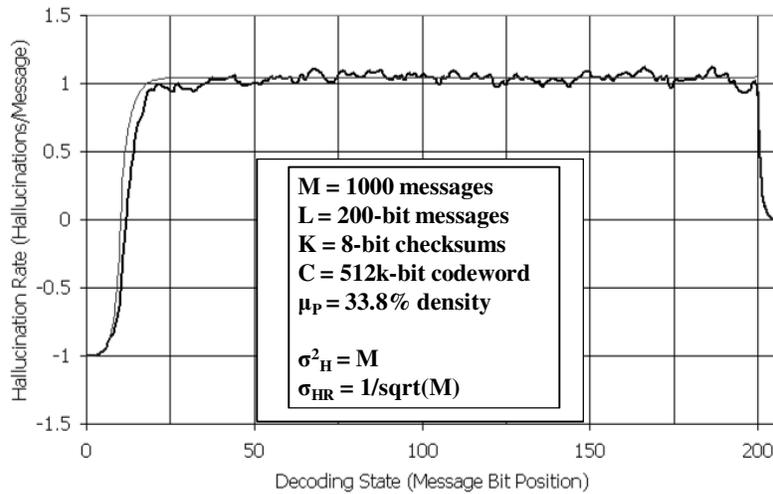
 Packet densities <50% are fine

$$H_{SS} = M \left( \frac{\mu}{1 - 2\mu} \right)$$

- ↗ If denominator goes to zero .... That's BAD!
  - ↗ Critical Density:  $\mu_c = 50\%$
- ↗ If  $\mu = 33\%$ 
  - ↗ One hallucination per valid message



## Performance matches theory



## We can enhance BBC three ways

- ↗ Interstitial Checksum Bits
    - ↗ Arbitrarily high critical density.
    - ↗ Smaller hallucinogenic load.
  - ↗ Multi-mark BBC
    - ↗ Can tolerate missed marks
  - ↗ Multi-bit BBC (M-ary BBC)
    - ↗ Can improve coding efficiency
- BUT NOTHING COMES FOR FREE!**

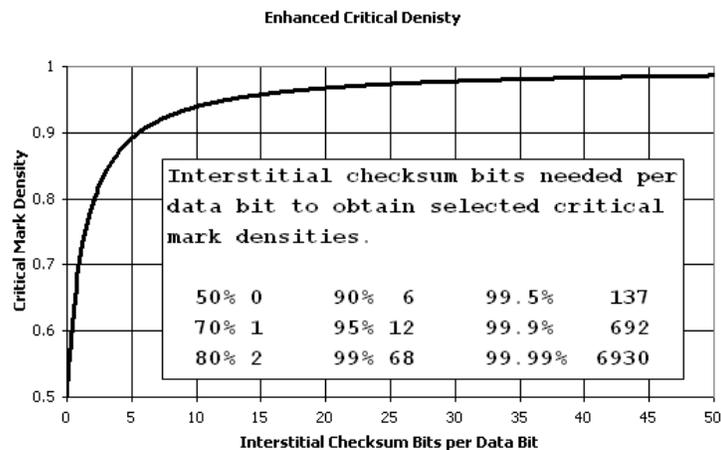


## Interstitials are fun, but of limited practicality

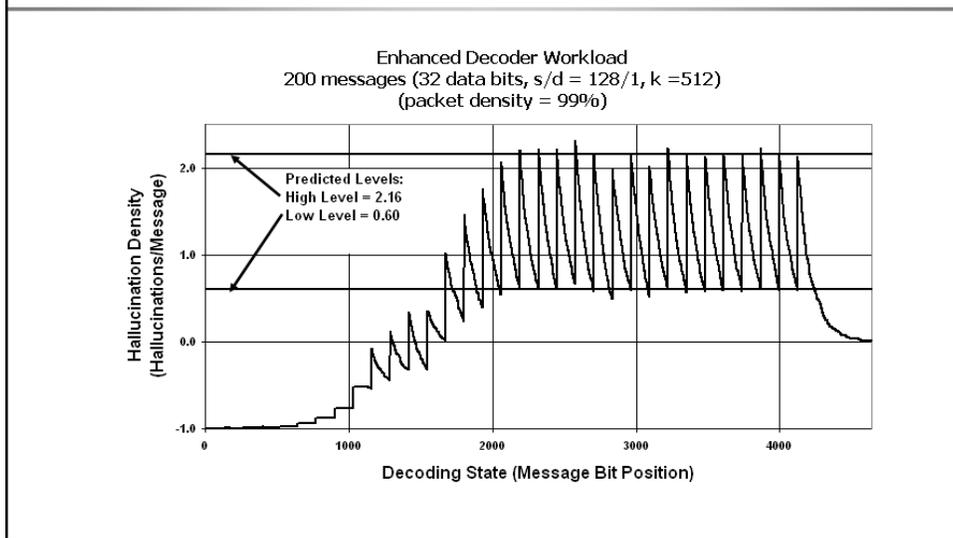
- More bits > more marks > higher density
- Codeword density grows faster than critical density
- Lower hallucination load can lead to faster decodes



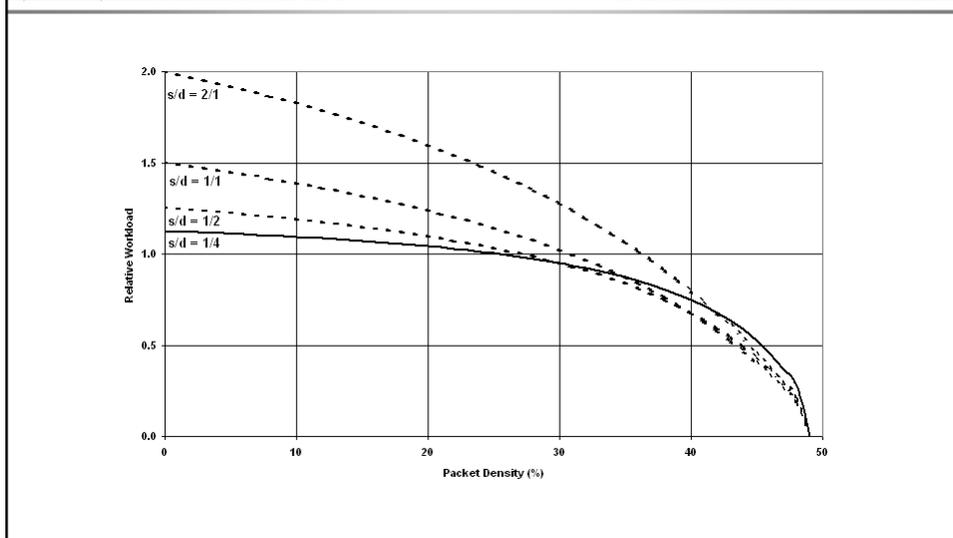
## Very rapid improvement for first few interstitial checksum bits

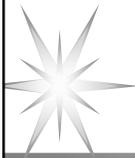


# Very high density codewords can still decode efficiently



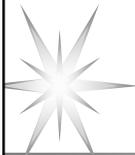
# Mild use of interstitials can decrease absolute decode effort.





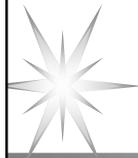
## Multi-bit BBC is probably not useful

- ↗ Nice parallel to M-ary modulation schemes
- ↗ Critical density inversely proportional to block size
- ↗ Decoding burden exponential with block size
- ↗ Quadrature (2-bit/mark) may be useful



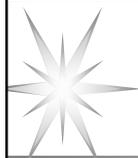
## Q-of-Y Multi-mark BBC is probably useful

Q	Y	$\mu$ crit	PLR=1%
1	1	50%	10 ppm
1	2	29%	3170 ppm
2	2	71%	5 ppm
1	3	21%	21580 ppm
2	3	50%	1831 ppm
3	3	79%	3 ppm

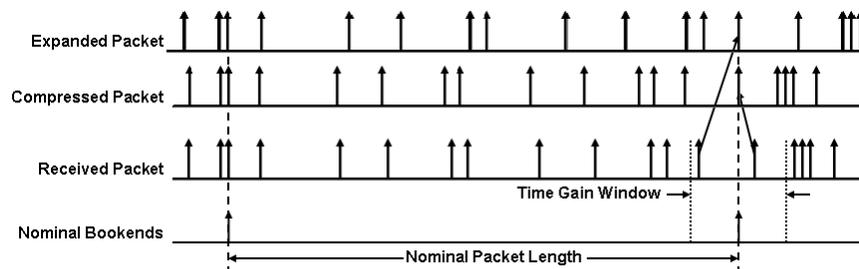


## What about practical considerations?

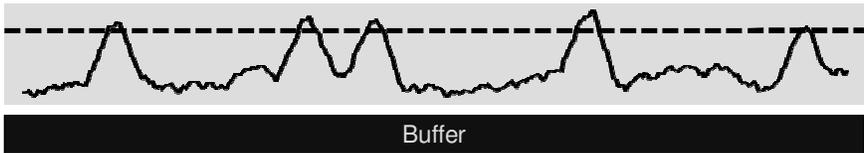
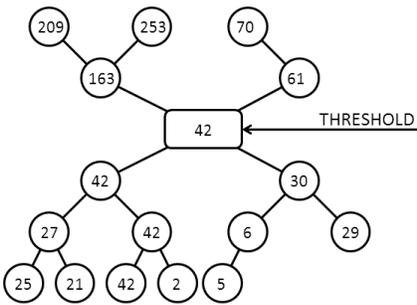
- Packet identification
  - Place “Bookend Marks” in each packet
  - Each received mark is treated as a potential packet start
- Symbol timing
  - Leverage intrinsic tolerance for space errors
  - Leverage packet-level decoding to compensate
- Threshold level
  - Running statistic threshold forces optimal threshold
- Hash function performance
  - Use task-specific hash function (Glowworm)
- Multipath
  - Intrinsic tolerance – echoes are just additional messages



## Bookend marks permit compensation for significant oscillator mismatch

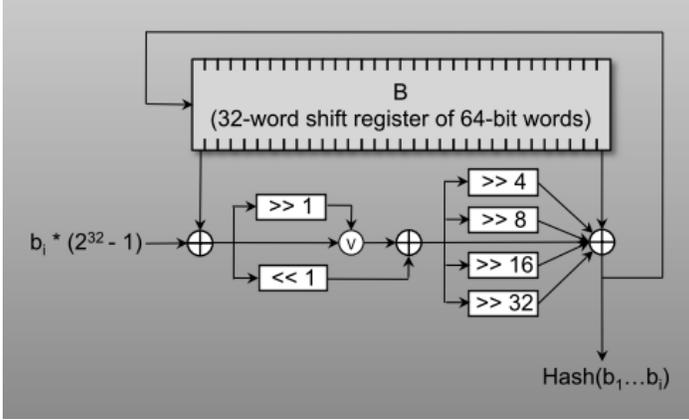


**Running statistic threshold**  
can set the best threshold for EACH packet.

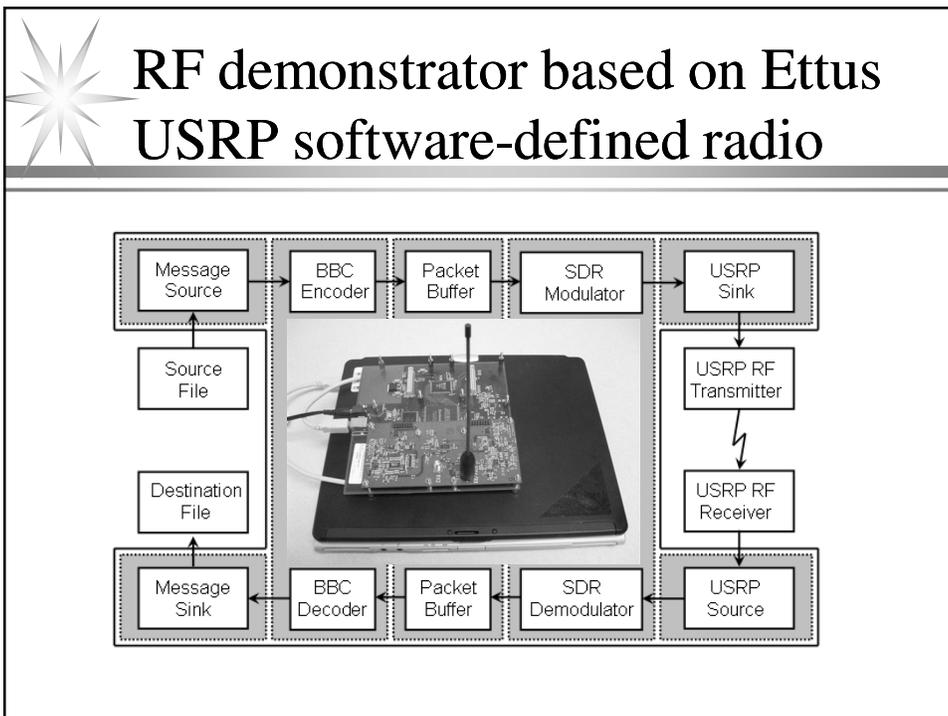
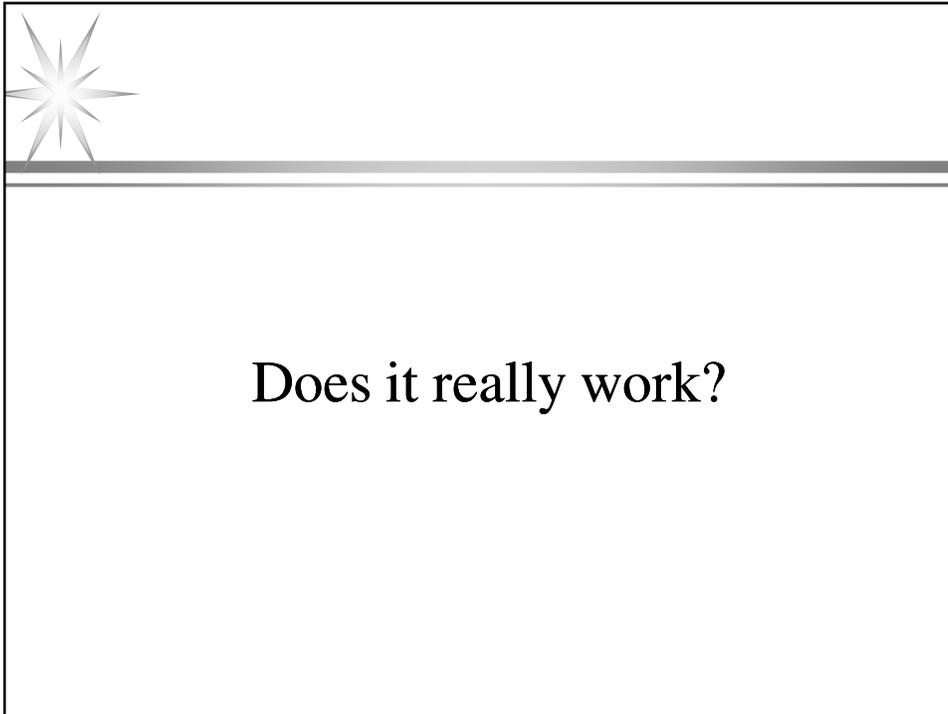



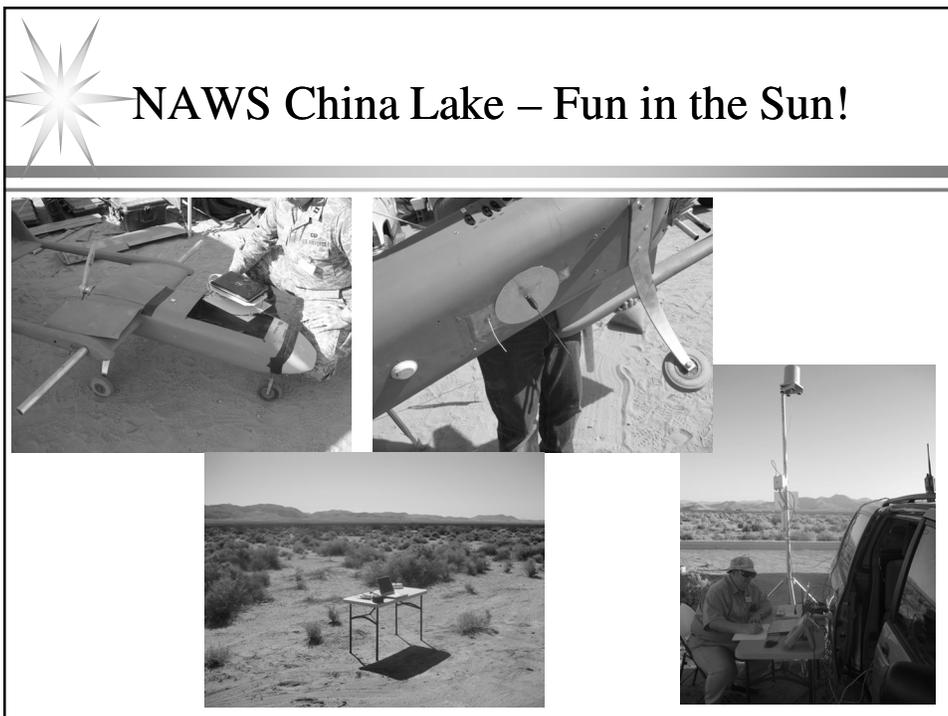
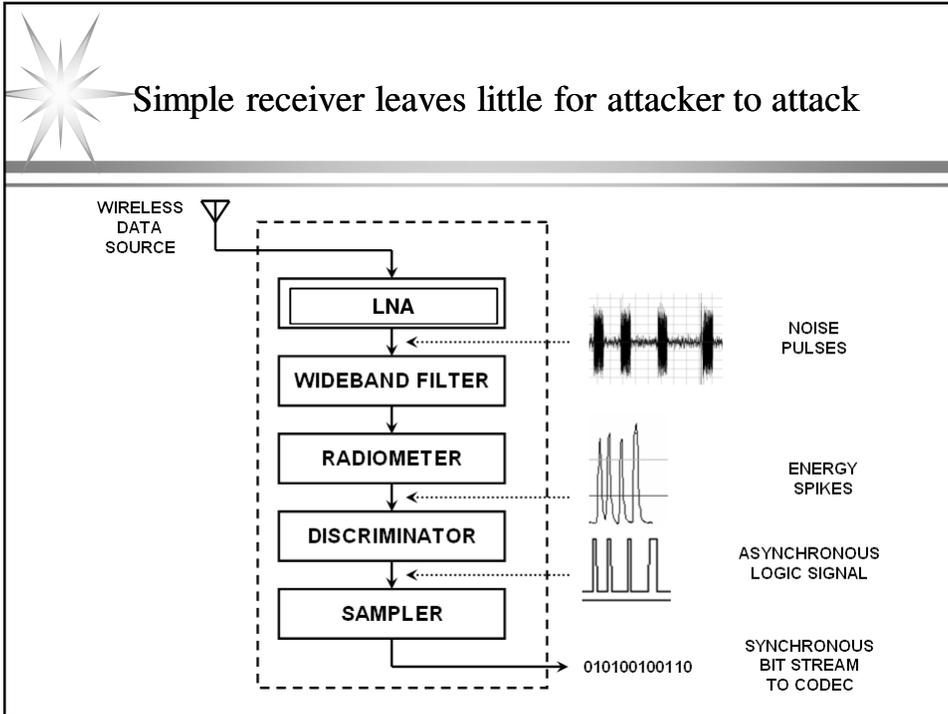
Log(n) time per packet!

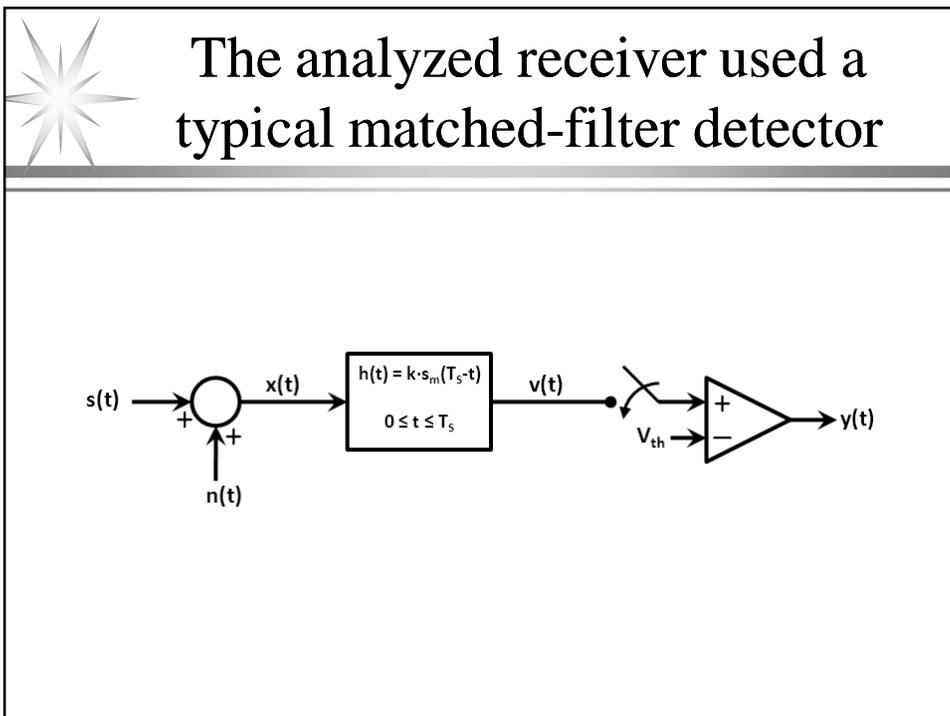
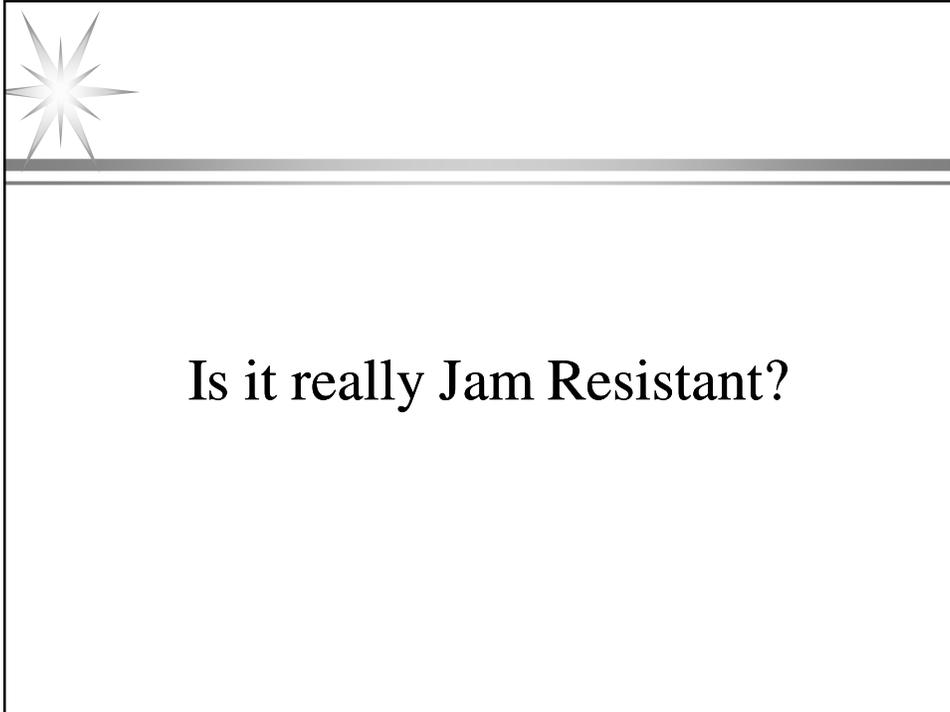
**The Glowworm hash is structurally simple**  
and efficient in both hardware and software



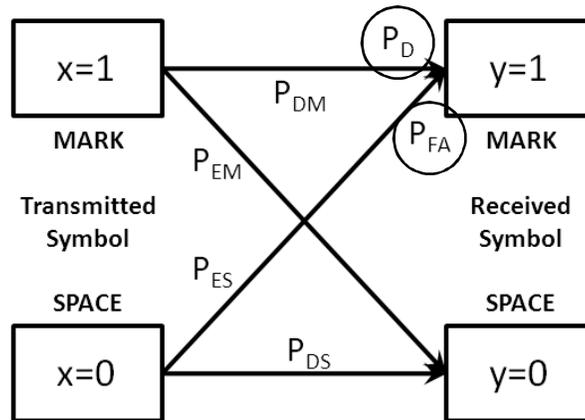
40



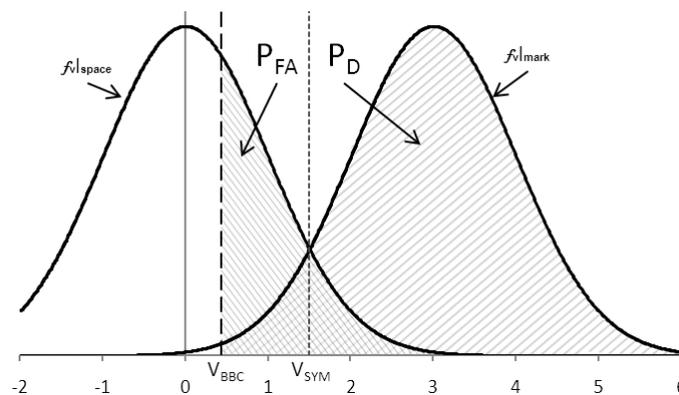


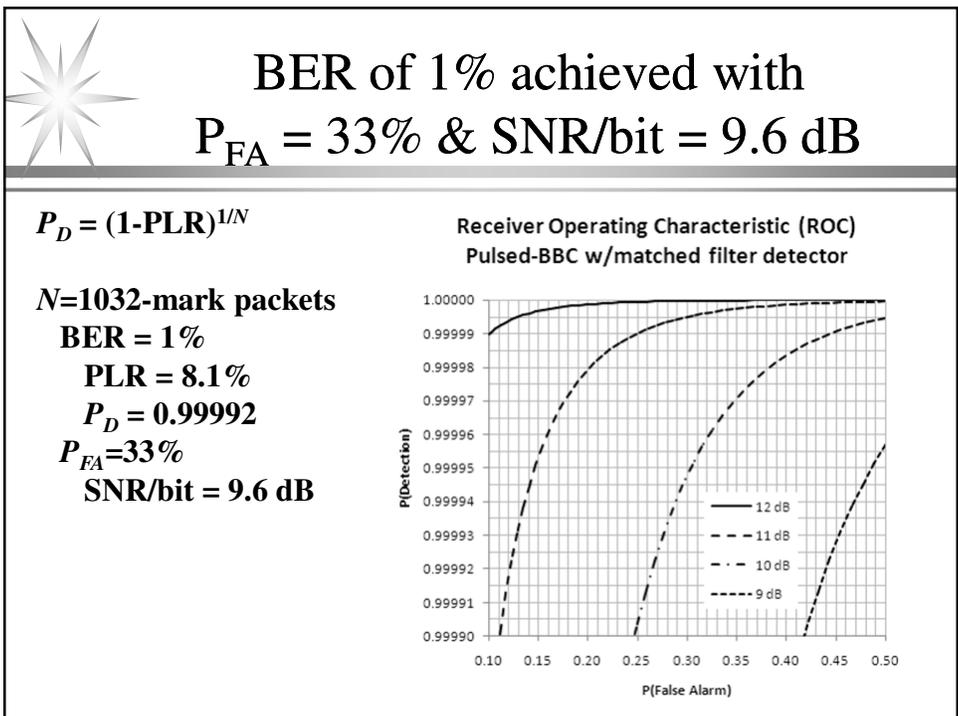
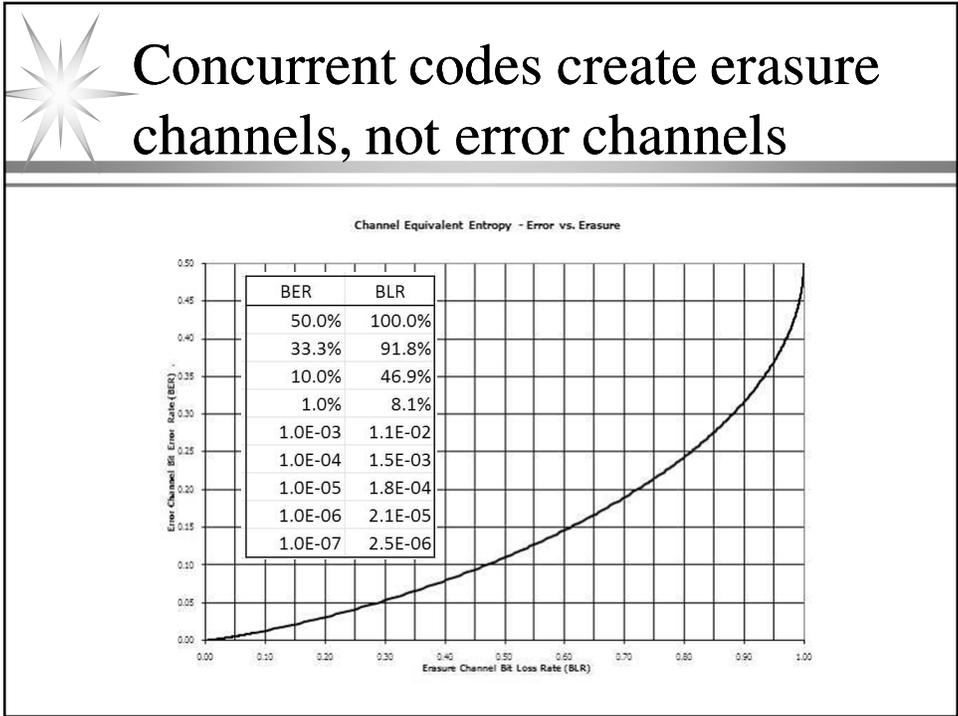


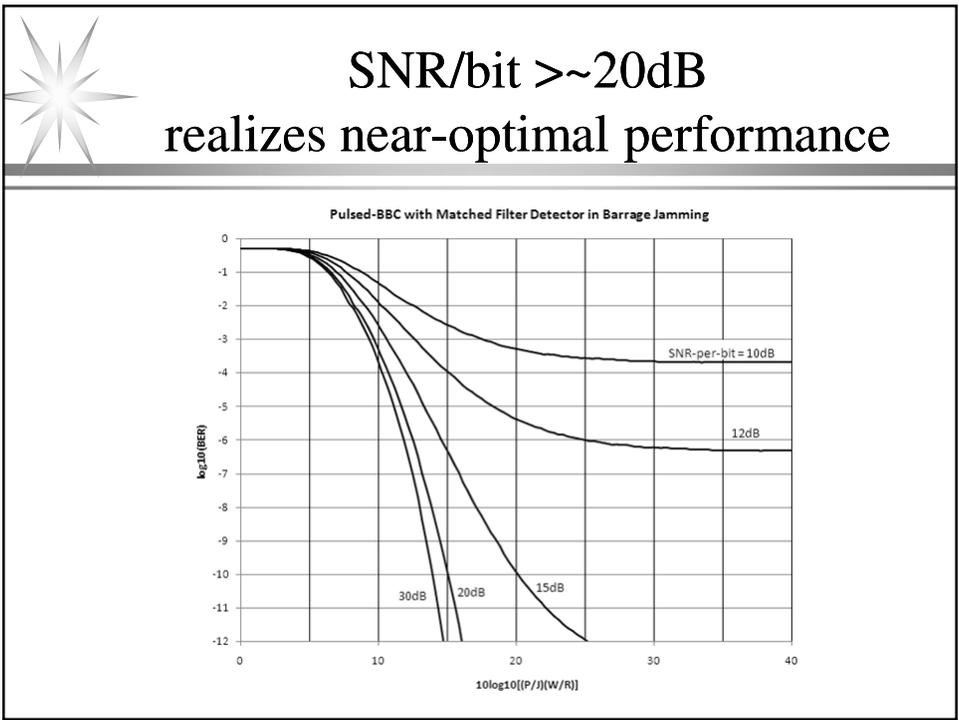
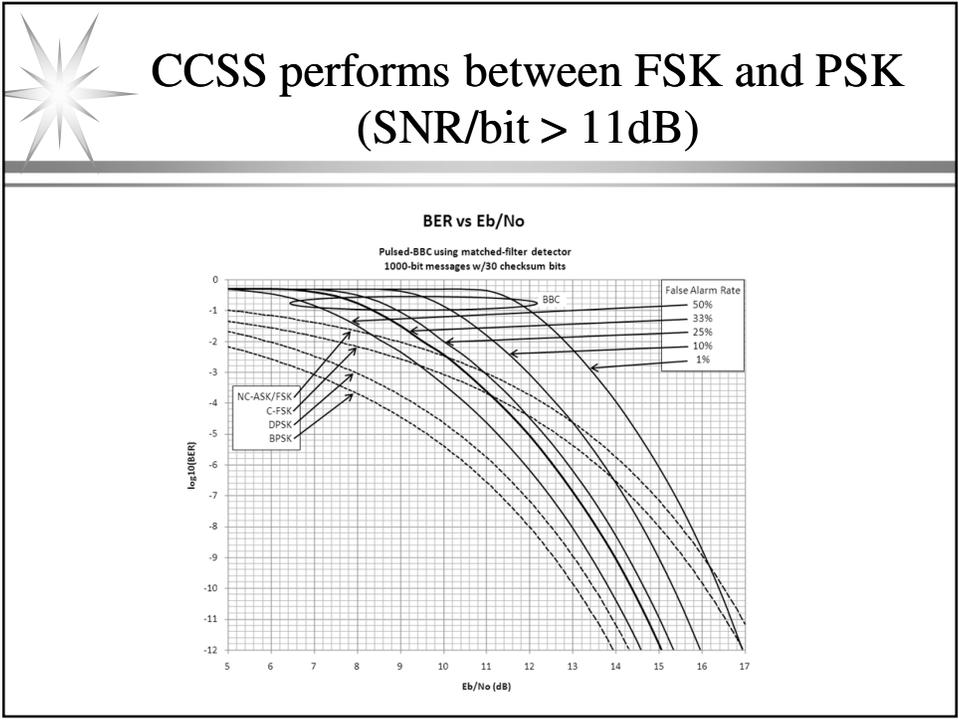
 The same translation paths exist,  
but radar terminology convenient

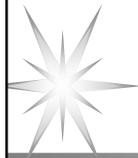


 The BIG difference:  
Threshold set well into the noise

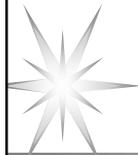
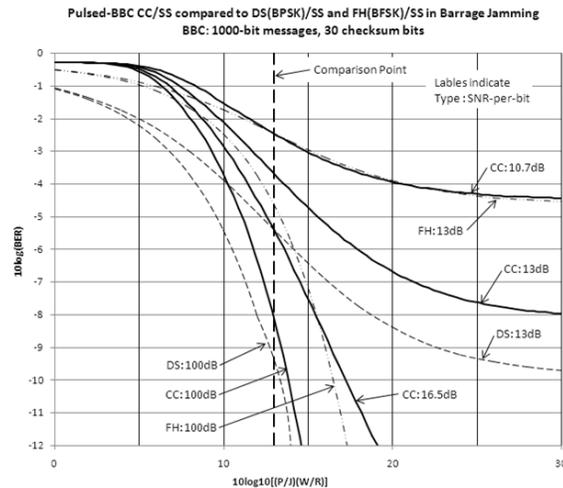






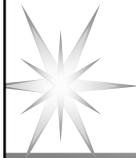


## CCSS performs better than FHSS but not as well as DSSS



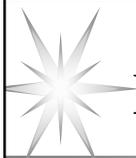
## Where can we go from here?

- RF performance analysis
  - Mark waveforms (e.g., LFM chirps, Golay sequence)
  - Detector options (e.g., radiometer, Golay correlator)
  - Asynchronous issues (e.g., symbol alignment)
  - Optimal waveform jamming (e.g., mark erasure, packet construction)
- Comparison with other forms as an unreliable erasure channel
- RF implementations of the various waveform/detector combos
- FPGA/ASIC implementations of radios and/or building blocks
- MAC-less protocol development
- Other application areas (e.g., RFID, SINGARS Fill Device)
- Other questions (e.g., performance guarantees, non-BBC codes)



## What was done and what I did

- Concurrent codes are a notable extension to superimposed codes
  - Efficient decoding is something that has not existed
  - Potentially opens door to many previously ill-suited applications
- Concurrent code spread spectrum offers new capabilities
  - Comparable jam resistance without shared secrets
  - Potentially simpler MAC-layer protocols (or even MAC-less protocols)
- My contributions
  - I was the primary contributor for:
    - RF hardware , software, or analysis
    - Interstitial checksum bits and multi-mark
    - Oscillator mismatch and jitter compensation
  - I was heavily involved in the collaboration on most other aspects
  - I contributed least to the “hard core” theoretical/mathematical aspects



## Peer Reviewed Publications (1/2)

1. L. C. Baird, III, M. C. Carlisle, and W. L. Bahn, “Unkeyed jam resistance 300 times faster: The Inchworm hash,” in Proc. 2010 IEEE Military Communications Conference (MILCOM10), Nov. 2010, p. CD.
2. L. C. Baird, III, D. L. Schweitzer, W. L. Bahn, and S. Sambasivam, “A novel “Visual Cryptography” coding system for jam resistant communications,” Journal of Issues in Informing Science and Information Technology, vol. 7, pp. 495--507, 2010.
3. W. L. Bahn, L. C. Baird, III, and M. D. Collins, “Oscillator mismatch and jitter compensation in concurrent codecs,” in Proc. 2008 IEEE Military Communications Conference (MILCOM08), Nov. 2008, p. CD.
4. W. L. Bahn, L. C. Baird, III, and M. D. Collins, “Jam-resistant communications without shared secrets,” in Proc. 3rd International Conference on Information Warfare and Security (ICIW08), Apr. 2008, p. CD.



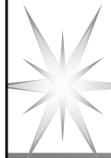
## Peer Reviewed Publications (2/2)

5. W. L. Bahn, L. C. Baird, III, and M. D. Collins, "The use of concurrent codes in computer and digital signal processing education," *Journal of Computing Sciences in Colleges*, vol. 23, no. 1, pp. 174-180, Oct. 2007.
6. D. L. Schweitzer, L. C. Baird, III, and W. L. Bahn, "Visually understanding jam resistant communication," in *Proc. 3rd Intl. Workshop on Visualization for Computer Security (VizSec)*, Oct. 2007.
7. W. L. Bahn, L. C. Baird, III, and M. D. Collins, "Impediments to systems thinking: Communities separated by a common language," in *Proc. 4th Intl. Conf. on Cybernetics, Information Technologies, Systems and Applications (CITSA)*, vol. III, Jul. 2007, pp. 122-127.
8. L. C. Baird, III, W. L. Bahn, M. D. Collins, M. C. Carlisle, and S. C. Butler, "Keyless jam resistance," in *Proc. 8th Annual IEEE SMC Information Assurance Workshop (IAW)*, Jun. 2007, pp. 143-150.



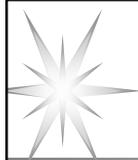
## USAF Technical Reports (1/2)

1. W. L. Bahn, "A field demonstration of unkeyed jam resistance," United States Air Force Academy, Academy Center for Cyberspace Research, Tech. Rep. USAFA-TR-2010-ACCR-04, Dec. 2010.
2. L. C. Baird, III and W. L. Bahn, "Parallel BBC decoding with little interprocess communication," United States Air Force Academy, Academy Center for Cyberspace Research, Tech. Rep. USAFA-TR-2009-ACCR-01, Nov. 2009.
3. L. C. Baird, III and W. L. Bahn, "An  $O(\log n)$  running median or running statistic method, for use with BBC jam resistance," United States Air Force Academy, Academy Center for Cyberspace Research, Tech. Rep. USAFA-TR-2008-ACCR-03, Nov. 2009.
4. L. C. Baird, III and W. L. Bahn, "An efficient correlator for implementations of BBC jam resistance," United States Air Force Academy, Academy Center for Cyberspace Research, Tech. Rep. USAFA-TR-2008-ACCR-02, Nov. 2009.



## USAFA Technical Reports (2/2)

5. W. L. Bahn and L. C. Baird, III, "Hardware-centric implementation considerations for BBC-based concurrent codecs," United States Air Force Academy, Academy Center for Cyberspace Research, Tech. Rep. USAFA-TR-2008-ACCR-03, Dec. 2008.
6. W. L. Bahn and L. C. Baird, III, "Extending critical mark densities in concurrent codecs through the use of interstitial checksum bits," United States Air Force Academy, Academy Center for Cyberspace Research, Tech. Rep. USAFA-TR-2008-ACCR-02, Dec. 2008.
7. L. C. Baird, III and W. L. Bahn, "Security analysis of BBC coding," United States Air Force Academy, Academy Center for Cyberspace Research, Tech. Rep. USAFA-TR-2008-ACCR-01, Dec. 2008.
8. L. C. Baird, III, W. L. Bahn, and M. D. Collins, "Jam-resistant communication without shared secrets through the use of concurrent codes," United States Air Force Academy, Academy Center for Information Security, Tech. Rep. USAFA-TR-2007-01, 2007



QUESTIONS?