## QUIZ \#04

## CSCI-410 Spring 2013

1. (12pts) Consider the Hack assembly instruction D-M. Show, mathematically, how the ALU configuration that is used to execute this instruction works. HINT: Remember the relationships between bitwise inversion and the 1's complement, and 2's complement representations of signed integers.

The control signals are $a=1, c 1 . . c 6=010011$
This means that the output is: ! (! $\mathrm{x}+\mathrm{y}$ )
$x=D$ (always) and $a=1$ means $y=M$, hence we have ! (! $D+M$ )
In 2's complement, $-z=!z+1$, hence $!z=-z-1=-(z+1)$ Therefore:

$$
\begin{aligned}
\text { output } & =!(!D+M)=!(-(D+1)+M)=!(M-D-1) \\
& =-(M-D-1+1)=-(M-D) \\
& =D-M
\end{aligned}
$$

2. (24pts) For each possible bitwise-AND combination of $D$ and $M$ obtainable by selectively inverted inputs and outputs, determine the equivalent bitwise-OR operation, the ALU control signals, and the X-instruction (see extra credit description on ECS 06). The two that are supported by the "official" instruction set are done for you.

| AND op | OR op | a | c1 | c2 | c3 | c4 | c5 | c6 | Xnn |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| D \& M | ! ( $\mathrm{D} \\|$ ! M ) | 1 | 0 | 0 | 0 | 0 | 0 | 0 | X40 |
| D \& ! M | ! ( ! \\| M ) | 1 | 0 | 0 | 0 | 1 | 0 | 0 | X44 |
| ! D \& M | ! ( D \| ! M ) | 1 | 0 | 1 | 0 | 0 | 0 | 0 | X50 |
| !D \& !M | ! ( D \| M ) | 1 | 0 | 1 | 0 | 1 | 0 | 0 | X54 |
| ! ( D \& M ) | ! D \| ! M | 1 | 0 | 0 | 0 | 0 | 0 | 1 | X41 |
| !( D \& ! M ) | ! $\mathrm{D}_{\text {\| M }}$ | 1 | 0 | 0 | 0 | 1 | 0 | 1 | X45 |
| ! ( D \& M ) | D \| ! M | 1 | 0 | 1 | 0 | 0 | 0 | 1 | X51 |
| ! ( D \& ! M ) | D \\| M | 1 | 0 | 1 | 0 | 1 | 0 | 1 | X55 |

3. (4pts) What is the difference in the X -instruction for a particular operation using the contents of memory and the same operation using the contents of the A register? In other words, given an X-instruction that performs an operation using MEM [A], what modification would you need to do so that it used $\mathbf{A}$ instead?

You need to clear the a bit, which is b6.
This can be done by subtracting $0 \times 40$.

